

C3: Show no work. *NOTE:* Write **DNE** in a blank if the described object does not exist or if the indicated operation cannot be performed. Do **not** approx.: If your result is “ $\sin(\sqrt{\pi})$ ” then write that rather than .9797...

z A multivariate polynomial, where each monomial has the same degree, is circle

monogamous
atrocious
gregarious
monic
expialadocious
homogeneous
manic
unitary
Unitarian
utilitarian

a $\frac{A}{x-4} + \frac{B}{x+3} + \frac{C}{x+1} = \frac{2x^2 - 7x + 2}{[x-4][x+3][x+1]}$ with $C =$ $\in \mathbb{Q}$.

b Fix a $G \geq 1$. Fnc $\mathbf{P}_G(t) := e^{t \cdot G} \cdot (\cos(t), \sin(t))$ parametrizes a spiral Ω_G . The length of one wrap of Ω_G from $(1, 0)$ to $(e^{2\pi G}, 0)$ is

Our Ω_G crosses the x -axis with slope .

c The width of the (parallel) top and bottom edges of a trapezoid \mathbf{T} are W and $W+10$, and its height is 12. So $\text{Area}(\mathbf{T}) =$.
 Geometrically, $\lim_{W \nearrow \infty} Y_W =$ and $Y_0 =$,
 where $Y_W \stackrel{\text{note}}{=} \dots$ denotes
 the distance of $\text{Centroid}(\mathbf{T})$ above $\text{Bottom}(\mathbf{T})$.

d The quotient and remainder polynomials,
 $q(x) =$
 & $r(x) =$,
 satisfy $B = [q \cdot C] + r$ and $\text{Deg}(r) < \text{Deg}(C)$, where
 $B(x) := 2x^3$ and $C(x) := x^2 + 3x + 2$.

e That a spiral Ω is *equi-angular* precisely means that

f Triangle \mathbf{T} , with vertices at $(0, \pm 3)$ and $(9, 0)$, has area .

Rotating \mathbf{T} about the the $[y = 3+x]$ -line gives a SoR with volume .

[Hint: Where is the centroid of \mathbf{T} ? And who is Mr. Pappus?]

End of Class-C

C-Home: 290pts
C3: 155pts
Total: 445pts

HONOR CODE: “I have neither requested nor received help on this exam other than from my professor (or his colleague).”
Name/Signature/Ord

Ord: