

B3: Show no work. *NOTE:* Write **DNE** in a blank if the described object does not exist or if the indicated operation cannot be performed.

z The technical term for (the surface of) a doughnut is a/an Circle:
Abscess Annulus Cumulus Dufus
Frabjous Gozinta Hoopoid Ring Spurious
Sagittarius Tardis Torus Wuss Zaurus

HONOR CODE: "I have neither requested nor received help on this exam other than from my professor (or his colleague)."
Name/Signature/Ord

a Fluid of weight-density $S :: \text{lb/ft}^3$ fills a hemispherical tank [round side down, see blackboard] of radius $U :: \text{ft}$. The work to evacuate the tank from its top is

Ord:

$W := \int \dots \cdot dz.$
 And $W = \dots = \text{Poly}(U, S).$

b Force is the time-derivative of
 ITOf $\text{t}, \text{d}, \text{m}$: Units $\left(\begin{matrix} \text{Hooke's} \\ \text{Const.} \end{matrix} \right) = \dots$

c $\int_2^5 \frac{4}{x-3} dx = \dots \cdot \int_{-4}^4 \frac{1}{t+5} dt = \dots$

d $\frac{A}{x-4} + \frac{B}{x+3} + \frac{C}{x+1} = \frac{2x^2 - 7x + 2}{[x-4][x+3][x+1]}$ with $C = \dots \in \mathbb{Q}.$

e $\int \cos(t) [\sin(t)]^5 dt = \dots$ [Subst.]

f $\int_2^3 \log(t) dt = \log(R) + K$, where $R = \dots$
 is a rational number and $K = \dots \in \mathbb{Z}$. [Hint: IBParts]

g That $h()$ is a *rational function* means that

h $\int \frac{z}{1+z^2} dz = \dots$. Thus [IBP]
 $\int \arctan(z) dz = \dots$